# Program: BE Chemical Engineering <br> Curriculum Scheme: Revised 2012 <br> Examination: Final Year Semester VIII <br> Course Code: CHC801 <br> Course Name: Modelling, Simulation \& Optimization 

Time: 1 hour
Max. Marks: 50

Note to the students:- All Questions are compulsory and carry equal marks .

| Q1. | Mathematical models are based on ------ |
| :--- | :--- |
| Option A: | Analogy between such systems are mechanical and electrical |
| Option B: | Mathematical equations to represent the system |
| Option C: | Analysis |
| Option D: | Numerical methods |
| Ans: |  |
| Q2. | Parameter estimation on model development using regression is based on? |
| Option A: | Maximisation of difference between model predictions and data |
| Option B: | Model predictions are varying exponential as data calculated |
| Option C: | Minimisation of difference between model predictions and data |
| Option D: | Model predictions are square of the data |
| Ans: |  |
|  |  |
| Q3. | Kremser equation? if AE is absorption factor, l is liquid flowrate and v <br> vapour flowrate and r is recovery? |


| Option A: | $N=\frac{\ln \left(\frac{l_{0}^{n}+\left(r-A_{E}\right) v_{N+1}^{n}}{l_{0}^{n}-A_{E}(1-r) v_{N+1}^{n}}\right)}{\ln \left(A_{E}\right)}$ |
| :---: | :---: |
| Option B: | $N=\frac{\ln \left(\frac{v_{0}^{n}+\left(r-A_{E}\right) l_{N+1}^{n}}{l_{0}^{n}-A_{E}(1-r) v_{N+1}^{n}}\right)}{\ln \left(A_{E}\right)}$ |
| Option C: | $N=\frac{\ln \left(\frac{l_{0}^{n}+\left(r-A_{E}\right) v_{N+1}^{n}}{v_{0}^{n}-A_{E}(1-r) l_{N+1}^{n}}\right)}{\ln \left(A_{E}\right)}$ |
| Option D: | $N=\frac{\ln \left(\frac{l_{0}^{n}+\left(r-A_{E}\right) v_{N+1}^{n}}{l_{0}^{n}-A_{E}(1-r) v_{N+1}^{n}}\right)}{\ln \left(A_{E}\right)}$ |
| Ans: |  |
|  |  |
| Q4. | The equation of material balance, (Final condition + Sum of outputs) is equal to which of the following? |
| Option A: | Initial condition + Sum of inputs |
| Option B: | Initial condition - Sum of inputs |
| Option C: | Sum of inputs - Initial condition |
| Option D: | Sum of inputs - Initial condition |
| Ans: |  |
|  |  |
| Q5. | Which of the following is a transport law equation? |
| Option A: | Gibbs-Duhem equation |
| Option B: | Equation of Fourier's law of heat conduction |
| Option C: | Arrhenius equation |


| Option D: | van Laar equation |
| :---: | :---: |
| Ans: |  |
| Q6. | Stationary point is a point where, function $f(x, y)$ have? |
| Option A: | $\partial \mathrm{f} / \partial \mathrm{x}=0$ |
| Option B: | $\partial \mathrm{f} / 2 \mathrm{y}=0$ |
| Option C: | $\partial f / \partial x=0 \& \partial f / \partial y=0$ |
| Option D: | $\partial f / \partial x<0$ and $\partial \mathrm{f} / \partial \mathrm{y}>0$ |
| Ans: |  |
| Q7. | Which of them is an equilibrium equation where $\mu$ is chemical potential $\alpha, \beta$ are phase, K is constant $i$ is the species $x$ is liquid composition and $y$ is vapour composition? |
| Option A: | $\mu_{i}^{\alpha}=\mu_{i}^{\beta}$ |
| Option B: | $K_{i}=\frac{x_{i}}{y_{i}}$ |
| Option C: | $K_{i}=\frac{y_{i}}{\mu_{i}}$ |
| Option D: | $\mu_{\alpha \alpha}^{i}=\mu_{\beta}^{i}$ |
| Ans: |  |
| Q8. | The Rachford Rice Equation is derive using |
| Option A: | $\sum_{i=1}^{n} y_{i}-\sum_{i=1}^{n} x_{i}=0$ |
| Option B: | $\sum_{i=1}^{n} y_{i}-\sum_{i=1}^{n} x_{i}=1$ |


| Option C: | $\sum_{i=1}^{n} y_{i}-\sum_{i=1}^{n} x_{i}=\frac{\sum_{i=1}^{n}\left(z_{i}-1\right)}{1+\frac{V}{F}\left(K_{i}-1\right)}$ |
| :---: | :---: |
| Option D: | $0=\frac{\sum_{i=1}^{n}\left(z_{i}-1\right)}{1+\frac{V}{F}\left(K_{i}-1\right)}$ |
| Ans: |  |
|  |  |
| Q9. | What is the work done for an ideal gas isothermal process? |
| Option A: | Zero |
| Option B: | Equal to heat transferred |
| Option C: | Equal to change in internal energy |
| Option D: | Constant |
| Ans: |  |
|  |  |
| Q10. | The material balances to be considered in determination of degrees of freedom for systems in which chemical reactions occur are : |
| Option A: | Compound balances |
| Option B: | Elemental balances |
| Option C: | Mixture balances |
| Option D: | Alloy balances |
| Ans: |  |
|  |  |
| Q11. | If Degrees of freedom of a system is negative means |
| Option A: | Over specified System |
| Option B: | Eigen values are positive |
| Option C: | Underspecified |


| Option D: | Solution is feasible |
| :---: | :---: |
| Ans: |  |
| Q12. | The Tearing Stream for the flowsheet mentioned is |
| Option A: | Stream 1 \& 5 |
| Option B: | Stream 5 \& 8 |
| Option C: | Stream 1 \& 3 |
| Option D: | Stream 8 \& 3 |
| Ans: |  |
| Q13. | In Modular Mode Approach while solving a flowsheet |
| Option A: | Entire Flowsheet is Solved |
| Option B: | The Units are Encapsulated. |
| Option C: | Flowsheet topology and unit equations are combined |
| Option D: | Stream Tearing is not used. |
| Ans: |  |
|  |  |


| Q14. | Input mass in a process simulator is 2 Kg and output mass is ___ Kg . |
| :---: | :---: |
| Option A: | 1 |
| Option B: | 2 |
| Option C: | 3 |
| Option D: | 4 |
| Ans: |  |
| Q15. | Equation oriented approach need, |
| Option A: | Moderate computing power |
| Option B: | Fast and powerful computer |
| Option C: | Low computing power |
| Option D: | No computing power |
| Ans: |  |
| Q16. | In Equation-Oriented approach of simulation, $\qquad$ for the set of unknown variables is very important. |
| Option A: | Initialization |
| Option B: | Normalization |
| Option C: | Mimimization |
| Option D: | Maximization |
| Ans: |  |
| Q17. | Precedence ordering is used to partition the set of equations into a sequence of smaller sets of $\qquad$ equations. |
| Option A: | Reducible |
| Option B: | Redundant |


| Option C: | Irrelevant |
| :---: | :---: |
| Option D: | Irreducible |
| Ans: |  |
| Q18. | In____ simulation unit and thermo dynamic model remain self contained. |
| Option A: | Modular mode simulation |
| Option B: | Steady state simulation |
| Option C: | Equation oriented mode simulation |
| Option D: | Dynamic state simulation |
| Ans: |  |
| Q19. | The process optimization chain is as follows: |
| Option A: | Measuring-Controlling-Optimizing. |
| Option B: | Controlling-Measuring- Optimizing |
| Option C: | Controlling - Optimizing-Measuring |
| Option D: | Measuring- Optimizing- Controlling |
| Ans: |  |
| Q20. | Local Maxima can be located if which condition is satisfied? |
| Option A: |  |
|  | $\frac{\partial f}{\partial x} \leq 0 ; \frac{\partial^{2} x}{\partial f^{2}} \geq 0$ |
| Option B: | $\frac{\partial f}{\partial x} \geq 0 ; \frac{\partial^{2} f}{\partial x^{2}} \leq 0$ |


| Option C: | $\frac{\partial f}{\partial x} \leq 0 ; \frac{\partial^{2} f}{\partial x^{2}} \leq 0$ |
| :---: | :---: |
| Option D: | $\frac{\partial f}{\partial x} \geqslant 0 ; \frac{\partial^{2} f}{\partial x^{2}}=0$ |
| Ans: |  |
|  |  |
| Q21. | A rectangular box with a square base and no top has a volume of 500 cubic inches. Find the length of the edge of the square base and height for the box that requires the least amount of material to build. Conduct two iterations using an initial guess of $\mathrm{I}=5 \mathrm{in}$. |
| Option A: | Base edge length is 10.00 and height is 5.00 |
| Option B: | Base edge length is 9.17 and height is 6.00 |
| Option C: | Base edge length is 9.00 and height is 6.17 |
| Option D: | Base edge length is 10.00 and height is 10.00 |
| Ans: |  |
|  |  |
| Q22. | Which of the following statements is INCORRECT? |
| Option A: | If the second derivative at $x_{i}$ is negative, then $x_{i}$ is a maximum. |
| Option B: | If the first derivative at $x_{\mathrm{i}}$ is zero, then $x_{\mathrm{i}}$ is an optimum. |
| Option C: | $\mathrm{f} x_{\mathrm{i}}$ is a minimum, then the second derivative at $x_{\mathrm{i}}$ is positive |
| Option D: | The value of the function can be positive or negative as any optima. |
| Ans: |  |
|  |  |
| Q23. | Find the root of equation using direct substitution method $\mathrm{f}(\mathrm{x})=e^{-x}-x$. <br> Till two iterations taking $\mathrm{x} 0=0$ |


| Option A: | 0 |
| :--- | :--- |
| Option B: | 1 |
| Option C: | 0.367879 |
| Option D: | 0.564879 |
| Ans: |  |
|  |  |
| Q24. | Newton's method is used to solve |
| Option A: | Systems of non-linear equations |
| Option B: | partial differential equations |
| Option C: | Ordinary differential equations |
| Option D: | Simultaneous algebraic equations |
| Ans: |  |
| Q25. | Consider the points closest to the origin on the planes $x+y+z=a$. |
| Option A: | The closest point travels farther as a is increased |
| Option B: | The closest point travels nearer as a is increased |
| Option C: | The closest point is independent of a as a is not there in the expression <br> of the gradient. <br> Option D: <br> Varies as az ${ }^{2}$, away from the origin. |

